# Learning Joint Demosaicing and Denoising Based on **Sequential Energy Minimization**

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Der Wissenschaftsfonds

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## **Image Aquisition**





## **Image Aquisition**









Input scene

Image Acquisition



RAW mosaiced image

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#### RAW mosaiced image

Mosaic Operator A



Mosaic image linear RGB space





Mosaic image linear RGB space Demosaicing and Denoising



Demosaiced image linear RGB space





Demosaiced image linear RGB space Color and Gamma Correction



Fully developed image sRGB space



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How to solve these problems all in one?

## **Related Work**



## How this problem has been solved

- Older works: interpolation based, post-processing to get rid of artifacts, exploit edge information and color channel correlations
  - Spatially adaptive interpolation (LPA) [Paliy et al., 2007]
  - Contour stencils for edge-adaptive interpolation (CS) [Getreuer, 2009]
  - And many more!

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  - And many more!
- Recent Works: Handle denoising and demosaicing jointly
  - Color correlations and non-local means (JMCDM) [Chang et al., 2015]
  - Reconstruction based on several image priors like TV, BM3D (FlexISP) [Heide et al., 2014]
  - Learning: Using Regression Tree Fields (RTF) [Khashabi et al., 2014]

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    - Microsoft Demosaicing Data Base



Main problems:

- Edge blur
- Zippering
- False color
- Aliasing
- How to deal with noise?





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And even learning approaches have problems...















• In a **variational reconstruction** approach, we seek to find image *u* given the observation *m* such that

$$u \in rgmin_u \left\{ \mathcal{R}(u) + \lambda \mathcal{D}(u,m) 
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• In a **variational reconstruction** approach, we seek to find image *u* given the observation *m* such that

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- In our model, we assume parametrized functions to serve as regularizer

$$u \in \operatorname*{arg\,min}_{u} \left\{ \sum_{i=1}^{N} \sum_{p=1}^{HW} \rho_i((k_i * u)_p) + \lambda \frac{1}{2} \|Au - m\|_2^2 \right\}$$



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• and in a second extension, freely tunable functions for the data term

$$u \in \arg\min_{u} \left\{ \sum_{i=1}^{N} \sum_{p=1}^{HW} \rho_i((k_i * u)_p) + \lambda \sum_{p=1}^{HW} \Psi(A u - m)_p \right\}$$

## **Combining Successful Ideas**



- Gray image restoration model: Nonlinear Reaction-Diffusion [Chen et al., 2015]
- Extend the model with a trainable color image prior (SEM)
- Extend the model with an adaptive data term (SEM+D)
- We have now a variational model of the form:

$$u \in \arg\min_{u} \left\{ \sum_{i=1}^{N} \sum_{p=1}^{HW} \rho_i \left( \sum_{c \in \{r,g,b\}} (k_{c,i} * u)_p \right) + \lambda \sum_{p=1}^{HW} \Psi(A u - m)_p \right\}$$

• Using the above equation we formalize a sequence of S gradient steps

$$u_{c}^{s} = u_{c}^{s-1} - \sum_{i=1}^{N} \bar{k}_{c,i}^{s} * \phi_{i}^{s} \left( \sum_{c \in \{r,g,b\}} (k_{c,i}^{s} * u^{s-1}) \right) - \lambda^{s} A^{T} \psi (A u^{s-1} - m)$$

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#### Sequential Energy Minimization Model (SEM)

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#### **Gradient Steps** $u^{S-1}$ $u^0$ $u^S$ $u^2$ $u^1$ $Q^S$ $Q^2$ $Q^{\dagger}$ $k_{\pi}^2$ $\bar{k}_{r,1}^2$ $\phi_1^2$ g $\bar{k}_{b,1}^{2}$ $u^2$ $u^1$ Σ $\bar{k}_{r,N}^2$ $\phi_N^2$ $k_{b,N}^2$ $\lambda^2 A^T \psi^2 (A \cdot -m)$

$$u_{c}^{s} = u_{c}^{s-1} - \sum_{i=1}^{N} \bar{k}_{c,i}^{s} * \phi_{i}^{s} \left( \sum_{c \in \{r,g,b\}} (k_{c,i}^{s} * u^{s-1}) \right) - \lambda^{s} A^{T} \psi(A u^{s-1} - m)$$

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#### Gradient Steps





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**Reconstruction time: 11ms** 

#### **Setup for Training**



- Data set: 200 training, 200 test, 100 validation images
- Training loss: MSE on linear space images
- Evaluation criteria: PSNR and SSIM on linear space and sRGB images
- Optimization algorithm: LBFGS-B [Byrd et al., 1995]
- Filter sizes
  - Bayer CFA:  $5 \times 5 \times 3$  (74 filters)
  - Fujifilm Xtrans CFA:  $7 \times 7 \times 3$  (50 filters)
- Filter initialization: Orthonormal DCT basis
- Activation functions: initialized with Student-t function



• Intel Core i7 CPU with Nvidia GeForce GTX 980 Ti graphics card

#### **Inspecting the Model**



- Some representative examples for activation functions and corresponding kernels
- Radial basis functions

$$\phi_i^s(z,w) = \sum_{j=1}^M w_{ij}^s \exp\left(-\frac{(z-\mu_j)^2}{2\sigma^2}\right)$$



#### Inspecting the Model - Learned Data Term





#### **Results Bayer CFA**

Method	PSNR (linRGB)	PSNR (sRGB)
LPA	37.00	30.86
CS	37.20	31.41
JMCDM	37.44	31.35
RTF	37.77	31.77
FlexISP	38.28	31.76
SEM16	38.93	32.93
SEM+D8	39.32	33.02

Mean PSNR (test set)



#### **Results Fujifilm Xtrans CFA**

Method	PSNR (linRGB)	PSNR (sRGB)
RTF	36.94	30.56
SEM8	38.45	31.96
SEM16	39.60	33.09

Mean PSNR (test set)



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## SEM16

## SEM+D8

# SEM16

# SEM+D8

# SEM16

## SEM+D8

# SEM16

# SEM+D8

# dcraw (AHD)

Contraction and a contraction

## SEM16

CANTER TRANSPORTATION COLORDONN

## dcraw (AHD)

## SEM16












## **Acknowledgements**



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• Thanks to my supervisor Prof. Thomas Pock



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- And finally ...

## Thank you!

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