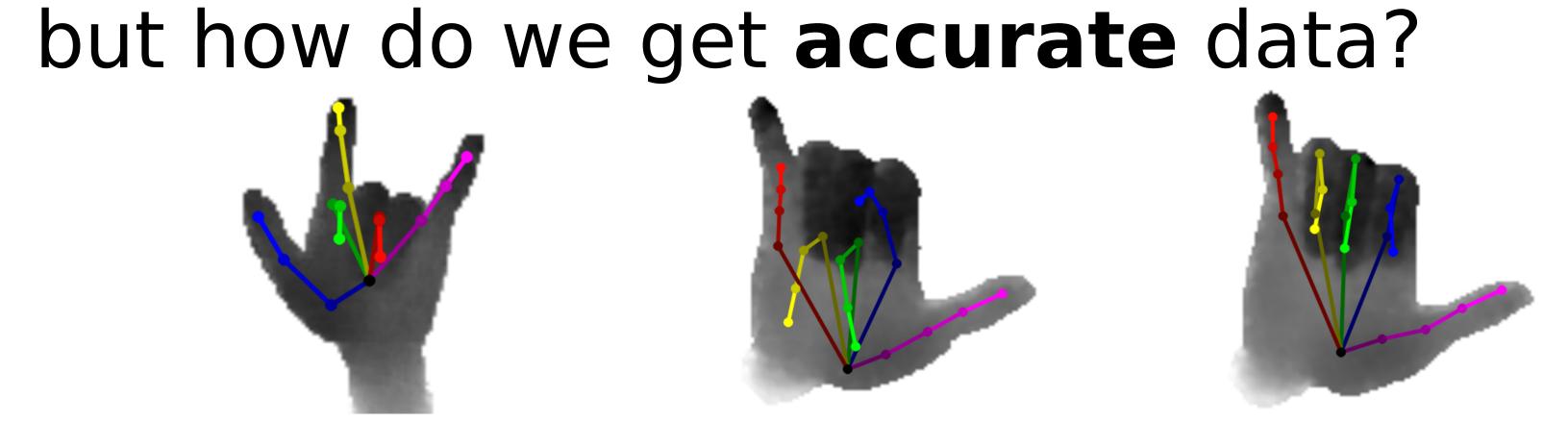


Motivation

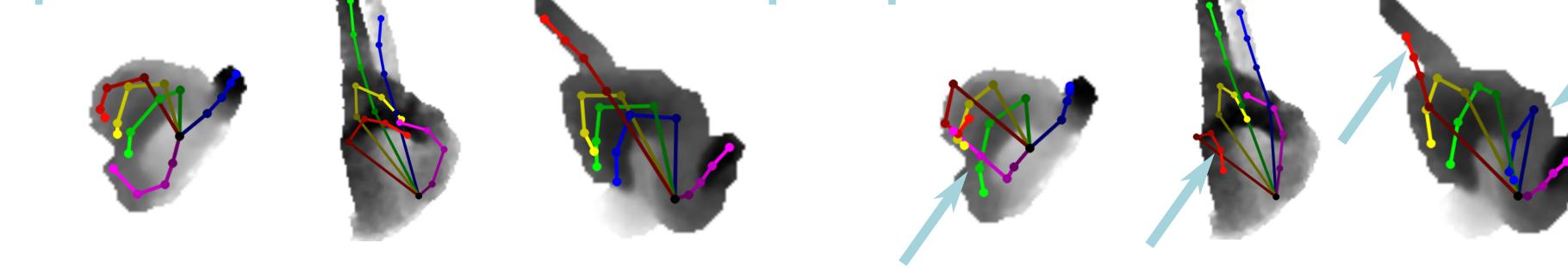




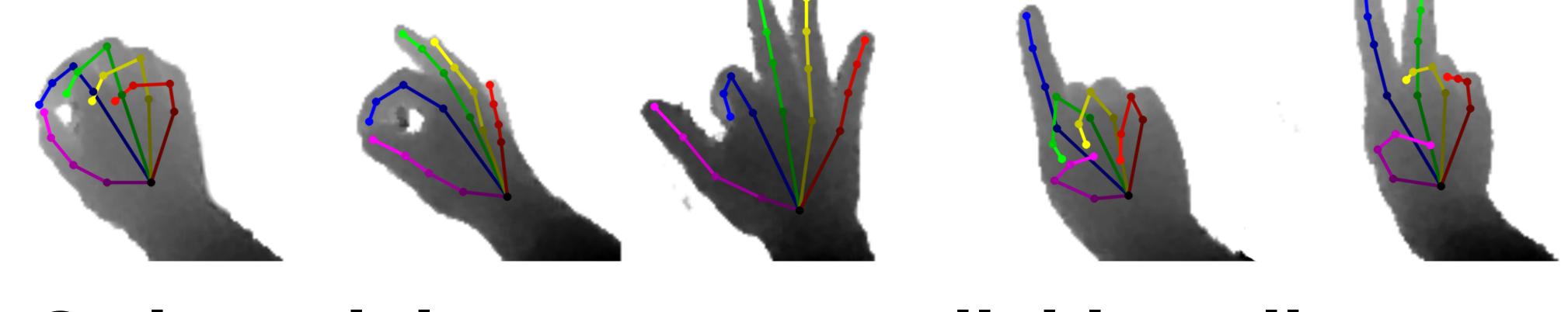
MSRA [2] dataset ICVL [3] dataset

Our annotation

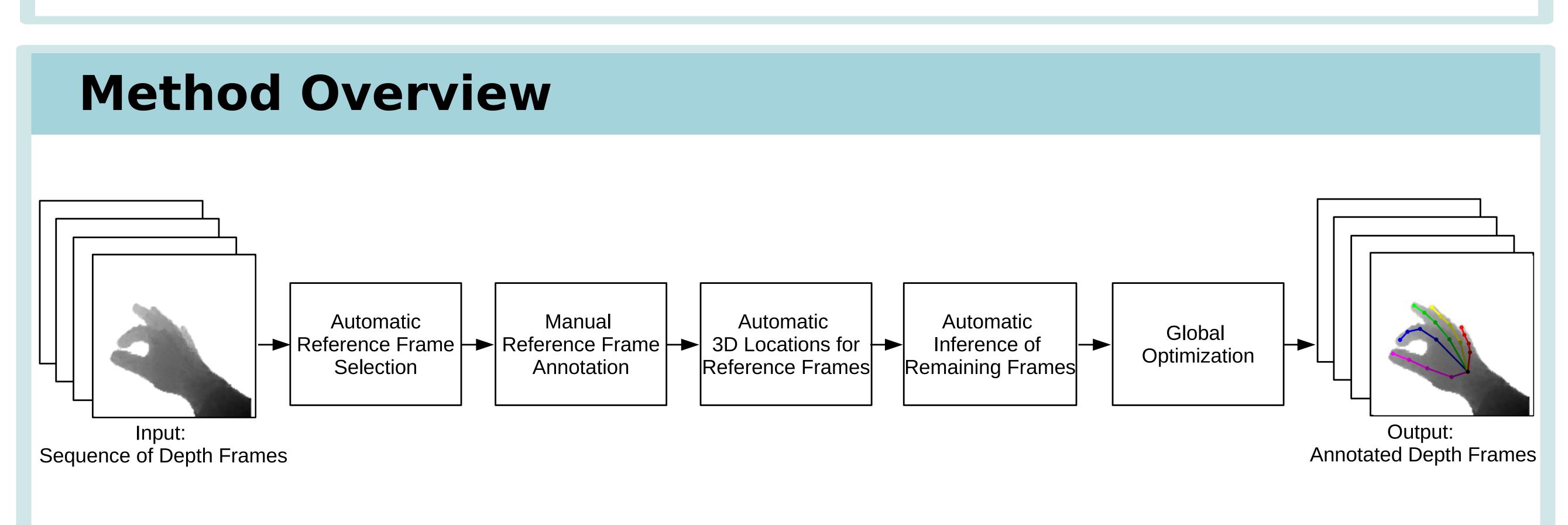
Training SOTA pose estimator [1] with *better* annotations Using annotations of [2] Using our annotations



- Goal: Accurate 3D training data for single view depth sequences from sparse 2D annotations
- Reduce time spent on annotations by a factor of 10
- We provide a new dataset for egocentric 3D hand pose estimation



### **Code and dataset are available online**



# Efficiently Creating 3D Training Data for Fine Hand Pose Estimation

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### Method

- Automatic reference frame selection
- Select subset of frames that require user annotation
- Submodular optimization:
- Select minimal set of reference frames that optimally cover pose space
- Each frame increases cover
- Exact solution is NP-hard
- Greedy and fast algorithm often provides exact solution [5]

 $\max_{\mathcal{R}} f(\mathcal{R}) \quad \text{s.t.} \quad |\mathcal{R}| < M \qquad f(\mathcal{R}) = |\{i \in [1; N] \quad \min_{i \in \mathcal{P}} d(\mathcal{D}_i, \mathcal{D}_j) < \delta\}|$ 

- 3D locations for reference frames
- User provides: 2D locations, joint visibility, and depth order constraints
- Optimize for 3D locations such that:
- Reprojection of 3D locations close to 2D user annotations
- Visible joints in range of observed depth values
- Hidden joints not in front of observed depth values
- Skeleton constrained by bone length

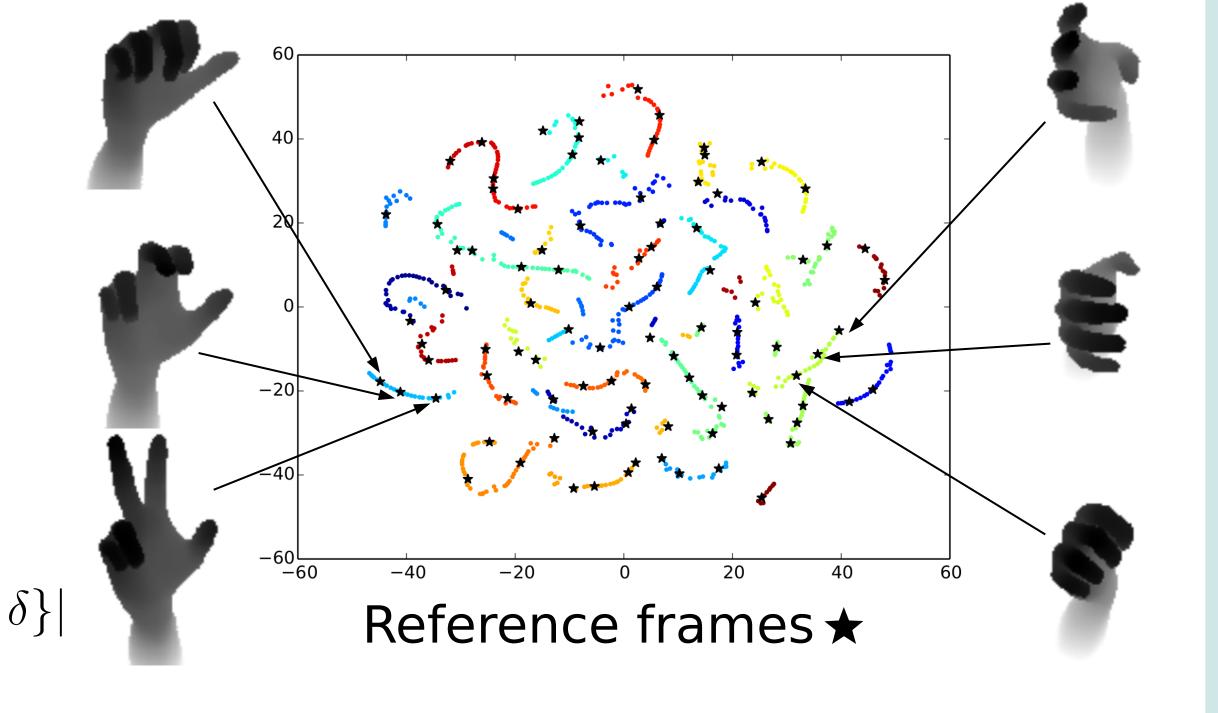
### Automatic inference of remaining frames

- Select closest pair of initialized frame and not initialized frame
- Initialize 3D locations with closest and align with SIFTFlow [4]
- Optimize for 3D locations:
- Maximize similarity of joint appearance in depth map between initialized and not initialized frame
- Skeleton constrained by bone length

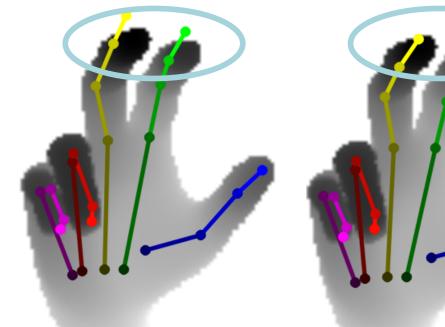
## Global optimization for all 3D locations

- Maximize similarity of joint appearance in depth map between reference and non-reference frame
- Enforce temporal smoothness
- Ensure consistency with 2D user annotations
- Skeleton constrained by bone length

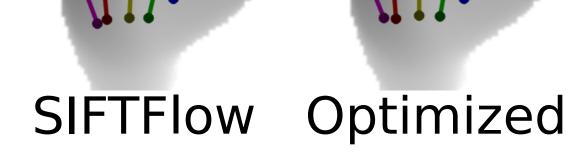
- Compared to regular sampling: 50% less user intervention, 15% higher accuracy



- Depth order constraints of parent joints fulfilled  $\arg \min \sum vis_k \|\operatorname{proj}(L_k) - l_k\|_2^2$ s.t.  $\forall k \| L_k - L_{p(k)} \|_2^2 = d_{k,p(k)}^2$  $\forall k \ vis_k = 1 \Rightarrow \mathcal{D}[l_k] < z(L_k) < \mathcal{D}[l_k] + \epsilon$  $\forall k \ vis_k = 1 \Rightarrow (L_k - L_{p(k)})^\top \cdot c_k > 0$  $\forall k \ vis_k = 0 \Rightarrow z(L_k) > \mathcal{D}[l_k]$ 



Closest



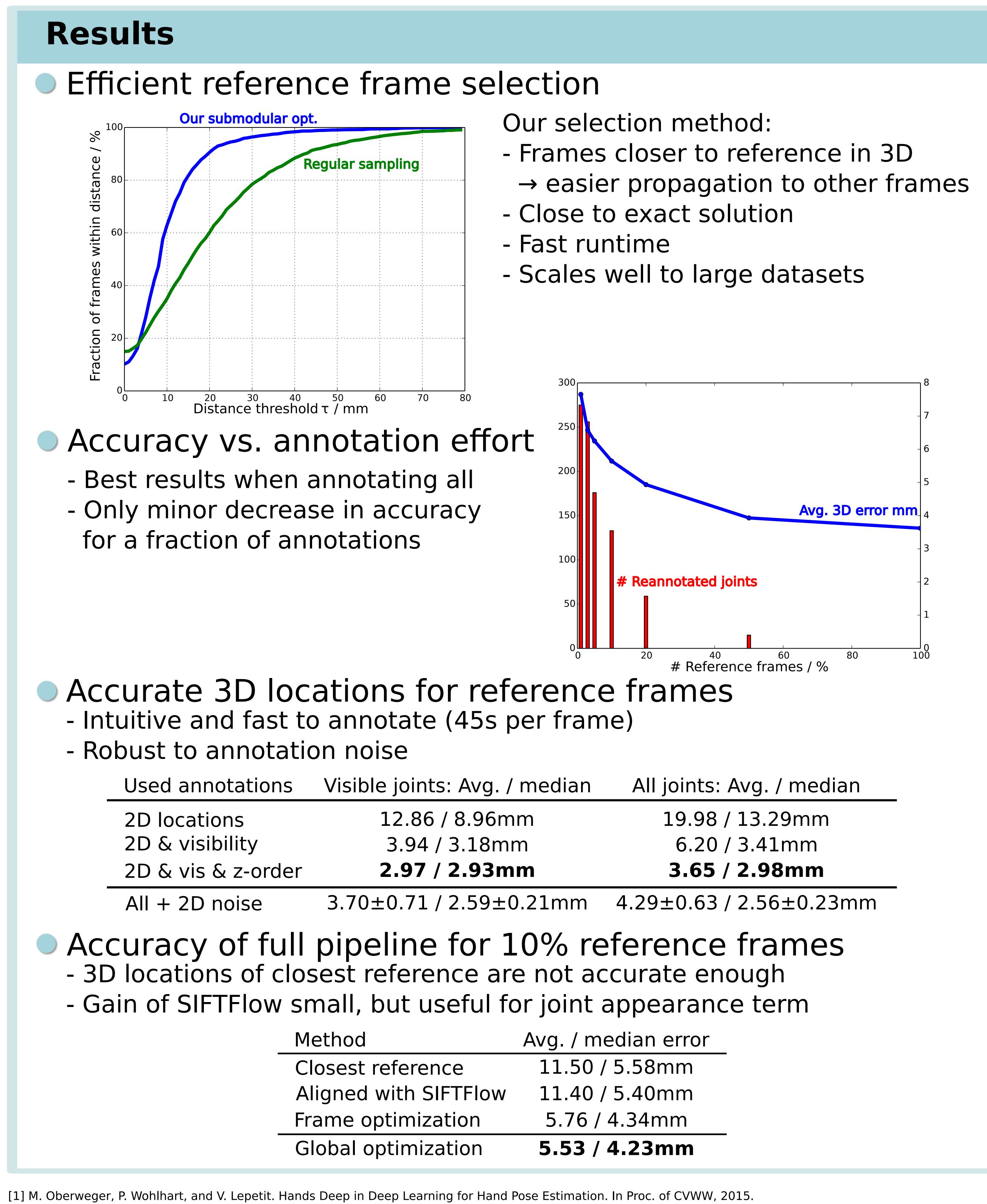
 $\sum \operatorname{dissim}(\mathcal{D}_i, \operatorname{proj}(L_{i,k}); \mathcal{D}_{\hat{i}}, l_{\hat{i},k})^2 +$ 

 $\arg\min\sum \operatorname{dissim}(\mathcal{D}_{\hat{c}}, \operatorname{proj}(L_{\hat{c},k}); \mathcal{D}_{\hat{a}}, l_{\hat{a},k})^2$ s.t.  $\forall k \| \|L_{\hat{c},k} - L_{\hat{c},p(k)}\|_2^2 = d_{k,p(k)}^2$ 

s.t.  $\forall i, k \quad ||L_{i,k} - L_{i,p(k)}||_2^2 = d_{k,p(k)}^2$ More details can be found in the paper.

 $\lambda_P \sum \sum vis_{r,k} \| \operatorname{proj}(L_{r,k}) - l_{r,k} \|_2^2$ 

 $\lambda_M \sum \sum \|L_{i,k} - L_{i+1,k}\|_2^2 +$ 







ations	Visible joints: Avg. / median	All joints: Avg. / median
5	12.86 / 8.96mm	19.98 / 13.29mm
ty	3.94 / 3.18mm	6.20 / 3.41mm
z-order	2.97 / 2.93mm	3.65 / 2.98mm

Method	Avg. / median error
Closest reference	11.50 / 5.58mm
Aligned with SIFTFlow	11.40 / 5.40mm
Frame optimization	5.76 / 4.34mm
Global optimization	5.53 / 4.23mm

[2] X. Sun, Y. Wei, S. Liang, X. Tang, and J. Sun. Cascaded Hand Pose Regression. In CVPR, 2015.

[3] D. Tang, H. J. Chang, A. Tejani, and T.-K. Kim. Latent Regression Forest: Structured Estimation of 3D Articulated Hand Posture. In CVPR, 2014.

[4] C. Liu, J. Yuen, and A. Torralba. SIFT Flow: Dense Correspondence Across Scenes and Its Applications. PAMI, 33(5), 2011.

[5] G. L. Nemhauser, L. A. Wolsey, and M. L. Fisher. An Analysis of Approximations for Maximizing Submodular Set Functions - I. Mathematical Programming, 14(1), 1978.